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A method of determining...

are given against  $\Psi$ , from which it is clearly seen that the optimal ratio  $L_0/G_0$  is 1. The dependence of sensitivity of the phase angle method on parameters  $g$ ,  $l$ ,  $\Psi$  and  $\alpha$  permits determination of the usefulness of the resultant signal method for measuring oscillator parameters for various types of reactors. As an example of application of the above methods certain numerical data are given, which are thought to be required and known before the actual construction of the oscillator begins. These numerical data are worked out from the experimental material obtained during the dynamic measurements of the oscillator installed at Chatillon and quoted by D. Breton (Ref. 3: Materiały I Konferencji Genewskiej, t. 4 ref. 356); the original Breton notation is used. There are 7 figures, 1 table and 7 references: 2 Soviet-bloc and 5 non-Soviet-bloc. The reference to the English-language publication reads as follows: A.M. Weinberg, H.C. Schweinler: Phys. Rev. 74, 851 (1948).

ASSOCIATION: Instytut badań jądrowych PAN, Warszawa, zakład inżynierii reaktorowej (Institute of Nuclear Research, PAS Warsaw, Reactor Engineering Laboratory)

SUBMITTED: November, 1960  
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P/046/61/006/004/001/002  
D221/D306

26.2223  
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AUTHOR: Weiss, Zbigniew

TITLE: Neutron spectrum temperature distribution in heterogeneous systems with constant absorption

PERIODICAL: Nukleonika, v. 6, no. 4, 1961, 243 - 259

TEXT: In this paper, the first of a series of four on neutron temperature distribution, the author presents a more general formulation of the method of D.A. Kotiwitz (Ref. 6: Bull. Am. Phys. Soc. 3, 1 (1958), Abstr. A.7) for determining the effective neutron temperature which enables the calculation of the distribution of effective temperature in a finite or infinite homogeneous assembly with internal or external epithermal neutron sources. The basic assumptions are: (I) Validity of the  $P_1$  approximation for spatial neutron distributions; (II) Representation of energy transfer probability in the  $1/M$  heavy gas model approximation; (III) Isotropic scattering in the laboratory system; (IV) Energy independence of the ab-

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sorption cross-section. These reduce the general Boltzmann equation to the form

$$DV^2\psi - \bar{\Sigma}_s\psi = -\xi \bar{\Sigma}_s A\psi - S(r, E) \quad [2] \quad (2)$$

where  $\Psi(r, E)$  is the neutron spectrum distribution,  $D$  the diffusion coefficient,  $\bar{\Sigma}_s$  the macroscopic scattering cross-section,  $\xi$  the mean logarithmic energy decrement,  $\bar{\Sigma}_s = \frac{\sqrt{\pi}}{2} \sqrt{\frac{E_0}{T_{eff}}} \Sigma_a^0$ ;  $E_0 = 0.0253$  eV

$\Sigma_a^0$  is the macroscopic absorption cross-section at energy  $E_0$ ,  $T_{eff}$  the effective neutron temperature,  $A = TE \frac{\partial^2}{\partial E^2} + E \frac{\partial}{\partial E} + 1$ ,  $T$  is the temperature of the medium, and  $S(r, E)$  represents external sources. Expanding  $\Psi(r, E)$  in terms of Laguerre polynomials and substituting in (2) gives a set of equations for the moments  $f_n$  of the expansion

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$$\nabla^2 f_n(r) - \frac{f_n(r)}{L_0^2} - n \frac{f_n(r)}{L_1^2} = -\frac{S_n(r)}{D(n+1)} \quad [5] \quad (5)$$

where  $L_0^{-2} = \frac{\sum_a}{D}$ ,  $L_1^{-2} = \frac{\xi \sum_s}{D}$  for heavy gas model (or taken from experiment)

$$S_n(r) = \frac{1}{n+1} \int_0^\infty S(E, r) L_n^{(1)}\left(\frac{E}{T}\right) dE$$

with

$$f_n(r) = \frac{1}{n+1} \int_0^\infty \psi(E, r) L_n^{(1)}\left(\frac{E}{T}\right) dE \quad [4b] \quad (4b)$$

Solving,  $f_n(r) = f_0(r) \left[ 1 - \frac{T_{eff}(r)}{T} \right]$  , where

$$T_{eff} = \frac{1}{2} \langle E \rangle \quad [7] \quad (7)$$

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Assuming that Eq. (5) correctly represents the neutron spectrum when the heavy gas model is not valid, so long as  $L_0$  and  $L_1$  are chosen properly, then the equations for the first two moments may be written

$$\nabla^2 f_0(r) - \frac{f_0(r)}{L^2} = -\frac{S_0(r)}{D} \quad [9a] \quad (9a)$$

$$\nabla^2 f_1(r) - \frac{f_1(r)}{L_i^2} = -\frac{S_1(r)}{D} \quad [9b] \quad (9b)$$

where

$$L^2 = L_0^2 \quad L_i^{-2} = L_0^{-2} + L_1^{-2}$$

Substituting for  $f_1(r)$  in (9b), by algebraic manipulation

$$\begin{aligned} f_0(r) \nabla^2 T_{eff}(r) + 2 \text{grad } f_0(r) \text{ grad } T_{eff}(r) - \\ - \left( \frac{1}{L_i^2} - \frac{1}{L^2} \right) f_0(r) |T_{eff} - T| = -\frac{S_0(r)}{D} \left( \frac{\langle E \rangle_s}{2} - T_{eff} \right) \end{aligned} \quad [12] \quad (12)$$

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where  $\langle E \rangle_s$  is the mean energy of the source spectrum. For two half-spaces with no sources or absorption, divided by the plane  $x = 0$ , and with temperatures  $T_1$  and  $T_2$ ,

$$\left. \begin{aligned} \frac{d^2 T_{eff}^1}{dx^2} - \lambda^2 [T_{eff}^1 - T_1] &= 0 \\ \frac{d^2 T_{eff}^2}{dx^2} - \lambda^2 [T_{eff}^2 - T_2] &= 0 \end{aligned} \right\} \quad [13] \quad (13)$$

with the boundary conditions

$$\left. \begin{aligned} T_{eff}^1 &= T_{eff}^2 \\ \frac{dT_{eff}^1}{dx} &= \frac{dT_{eff}^2}{dx} \end{aligned} \right\} x=0 \quad [14] \quad (14)$$

where  $\lambda^2 = L_t^{-2} - L^{-2}$ . The solution of these is

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$$\left. \begin{aligned} T_{eff}^1 &= T_1 - \frac{T_1 - T_2}{2} e^{-\lambda x} & x > 0 \\ T_{eff}^2 &= T_2 + \frac{T_1 - T_2}{2} e^{\lambda x} & x < 0 \end{aligned} \right\} \quad (15)$$

[15]

in exact agreement with that obtained by Kottwitz (Ref. 6: Op.cit.), and T. Springer (Ref. 9: Nukleonik, Juli, 1960). Similarly, for an infinite half-space irradiated by neutrons of mean energy  $\langle E \rangle_s$ ,

$$\frac{T_{eff}}{T} = 1 - \frac{f_1}{f_2} = 1 + \frac{\left(\frac{\langle E \rangle_s}{2} - T\right)}{1 + \frac{2D}{L}} \left(1 + \frac{2D}{L}\right) e^{-\lambda' x} \quad (16)$$

where  $\lambda' = \frac{1}{L_t} + \frac{1}{L}$ . For neutrons slowing down from fission energies, the procedure must be modified to treat the epithermal part of the

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spectrum. The epithermal neutrons with a  $1/E$  Fermi spectrum are assumed to form a source one collision interval wide, with mean energy equal to the Fermi cut-off energy,  $E_c$ . Solving Eq. (12) for an infinite homogeneous medium with uniform source distribution

$$T_{eff} = T \left[ 1 - \frac{1}{L^2 \lambda^2} \left( \frac{\gamma}{2} - 1 \right) \right]^{-1} \quad [18] \quad (18)$$

where  $\gamma = \frac{E_c}{T_{eff}}$ . A comparison of this with other results is shown in Fig. 3. Next, an infinite half-space,  $x > 0$ , containing a uniform homogeneous source, characterized by  $S_0$  and  $S_1$ , with  $x < 0$  a vacuum of ideal absorber, is considered. With boundary condition  $f_0, f_1 \rightarrow \text{constant}$  as  $x \rightarrow \infty$ , and  $-\frac{D}{2} \frac{df_i}{dx} + \frac{f_i}{4} = 0, i=0,1$  for  $x = 0$ , Eqs. (9a) and (9b) give

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$$\frac{T_{eff}(0) - T}{T_{eff}(\infty) - T} = \lambda L \frac{1 + \frac{2D}{L}}{1 + 2D\lambda} \quad [19] \quad (19)$$

where  $\frac{T_{eff}(\infty)}{T} = 1 + \left( \frac{\langle E \rangle_i}{2} - T \right) \frac{L^2 \lambda^2}{2} \cdot$  For a pure water moderator, Eq. (19) gives

a ratio of 3.5, compared with 4.10, obtained in a more exact way by Springer (Ref. 9: Op.cit.). The ratio is increased to 3.66 if the moments  $f_0$  and  $f_1$  are assumed to vanish at the extrapolated boundary. Consider a system of plane fuel elements, each  $2b$  thick, with a moderator between them so that the center of adjoining plates are  $2a$  apart, the assembly being much larger than the cell dimensions. On the assumption that thermal neutron sources exist only in the

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moderator, in uniform distribution, Eqs. (9a) and (9b), together with the appropriate boundary conditions, give

$$\frac{T_{eff}^{(1)}(x)}{T} = 1 + A \frac{L_{f(2)}^2}{L_{f(1)}^2} \frac{\operatorname{ch}(x/L_{f(1)})}{\operatorname{ch}(b/L_{f(1)})} \frac{1 + \frac{D_{(1)}}{D_{(2)}} \frac{L_{f(2)}}{L_{f(1)}} \frac{\operatorname{th} \frac{b}{L_{f(1)}}}{\operatorname{th} \frac{a-b}{L_{f(2)}}}}{1 + \frac{D_{(1)}}{D_{(2)}} \frac{L_{f(1)}}{L_{f(2)}} \frac{\operatorname{th} \frac{b}{L_{f(1)}}}{\operatorname{th} \frac{a-b}{L_{f(2)}}}}$$

[22] (22)

where  $A = \frac{\gamma}{2} - 1$  (as in Eq. (18)) and indices (1) and (2) refer to fuel and moderator respectively. A comparison of this equation with that of E.R. Cohen (Ref. 5: ICPUE, Geneva, 1955, P/611)

$$T_{eff} = T_0 \left( 1 + A \frac{\sum_a^r}{\sum_i} \right)$$

[1] (1)

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for the same value of  $A$  and for a typical uranium-graphite lattice is shown in Fig. 6. There are divergences for high and low moderator-uranium volume ratios, although in the region normal for graphite moderated reactors, there is quite good agreement. Eq. (22) is also used to calculate the temperature of the neutron gas in the middle of the fuel elements in the WWR-S "EWA" reactor (Institute of Nuclear Sciences, Warsaw) core. The numerical values are  $L_{(1)} = 1.80 \text{ cm}$ ,  $D_{(1)} = 1.49 \text{ cm}$  (averaged over the fuel composition), and  $L_{(2)} = 2.72 \text{ cm}$ ,  $D_{(2)} = 0.164 \text{ cm}$ ,  $a = 0.975 \text{ cm}$ , effective  $b = 0.15 \text{ cm}$ ,  $L_t(1) = 1.78 \text{ cm}$ ,  $L_t(2) = 0.629 \text{ cm}$ . For  $T = 320^\circ\text{K}$ , Eq. (22) gives  $T_{\text{eff}} = 415^\circ\text{K}$  in good agreement with the value  $400^\circ\text{K}$  given in "EWA" reactor documentation [Abstractor's note: No reference for this]. Cohen's equation gave  $T_{\text{eff}} \approx 350^\circ\text{C}$ . The author thanks Dr. R. Zelazny of the Reactor Theory Group, Institute of Nuclear Research

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and Miss K. Kowalska. There are 7 figures, 2 tables and 13 references: 1 Soviet-bloc and 12 non-Soviet-bloc. The references to the 4 most recent English-language publications read as follows: D.A. Kottwitz, Bull.Am.Phys.Soc. 3, 1 (1958) Abstr. A7; B. Davison, Neutron Transport Theory, Oxford Edition, 1957; R.A. Bennet, R.E. Heinemann, Nucl.Sci. a. Engng. 8, 294 (1960), M.G. Campbell, R.G. Freemantle, M.J. Poole, ICPUAE Geneva 1958 P/10.

ASSOCIATION: Polish Academy of Sciences, Institute of Nuclear Research, Warsaw. Reactor Theory Group. Abstractor's note: This article is written in English.

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Fig. 3.

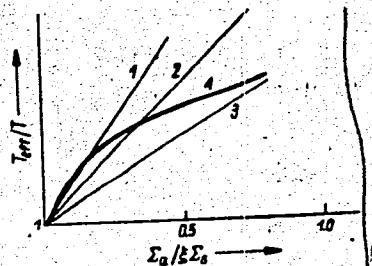


Fig. 3. The temperature of neutron spectrum in an infinite homogeneous absorbing medium (effect of "spectrum hardening")

1 — asymptotic form obtained from theoretical calculations for very small absorption to scattering cross-section ratio (5):  $T_{eff} = T \left( 1 + \frac{2}{\sqrt{\pi}} \frac{M\Sigma_a}{\Sigma_s} \right)$ ; 2 — results of Monte Carlo calculations given by Coveyou et al (12);  $T_{eff} = T \left( 1 + 0.91 \frac{M\Sigma_a}{\Sigma_s} \right)$ ; 3 — Cohen's formula:  $T_{eff} = T \left( 1 + 0.6 \frac{M\Sigma_a}{\Sigma_s} \right)$ ; 4 — results obtained by using formula (18)

\*) Ref. 12: R.R. Coveyou, R.R. Bate, R.K. Osborn, J. Nucl. Energy 2, 153 (1956).

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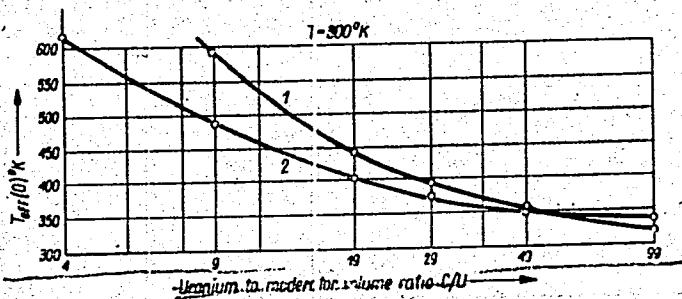
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Fig. 6. Abstractor's note: The abscissa should read "Moderator to uranium volume ratio" [unclear]. Effective neutron temperature in the center of a 2 cm thick fuel element plate vs. moderator - uranium volume ratio.

Legend: 1 - Extrapolation of Eq. (1); 2 - Eq. (22)  $A = 1.5$  in both cases.

Fig. 6.



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AUTHOR:

Weiss, Zbigniew

TITLE:

Neutron spectrum temperature distribution in heterogeneous media with energy dependent absorption

PERIODICAL:

Nukleonika, v. 6, no. 7-8, 1961, 443-460

TEXT: This paper follows a previous one by the author (Ref. 1: Neutron Spectrum Temperature Distribution in Heterogeneous Media with Constant Absorption, Nukleonika, 6, 243, 1961) on the same subject. The assumption of energy independence of the absorption cross-section used in the earlier paper is not employed here, but the other basic assumptions, in which the neutron migration is described in the  $P_1$  approximation and the moderator is represented by the heavy gas model, are unchanged. The thermalization equation in  $P_1$  and  $1/M$  approximation with energy dependent absorption cross-section is

$$\left. \begin{array}{l} \Sigma_a(E) = \Sigma_a^0 \sqrt{E_0/E} \\ D\nabla^2\psi - \Sigma_a(E)\psi = -\xi\Sigma_a A\psi - S \end{array} \right\} \quad \text{Eq. (1)}$$

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where the author defines his notation as in his previous paper. Expanding the solution of this into a set of Laguerre polynomials with variable coefficients  $D E/T^2 \exp(-E/T) \sum_n \nabla^2 f_n(r) L_n(E/T) - \sum_n f_n(r) \Sigma_a(E) L_n(E/T) \times$

$$\begin{aligned} & \times E/T^2 \exp(-E/T) = \xi \sum_n E/T^2 \exp(-E/T) \sum_m m f_m(r) L_m(E/T) - \\ & - E/T^2 \exp(-E/T) \sum_n S_n(r) L_n(E/T) \end{aligned} \quad \text{Eq. (3)}$$

and the equations for the  $f_n(r)$  moments are obtained

$$-D \nabla^2 f_n(r) + \sum_a^T \sum_m \frac{a_{nm} f_m(r)}{1+n} + \xi \sum_m m f_m(r) = S_n(r) \quad \text{Eq. (5)}$$

where

$$a_{nm} = \frac{1}{\Sigma_a^T} \int_0^\infty \Sigma_a(E) \frac{E}{T^2} \exp(-E/T) L_n(E/T) L_m(E/T) dE \quad \text{Eq. (6)}$$

The infinite set of Eqs. (5) cannot be solved exactly, but in the Nth (or  $L_N$ ) approximation, in which for  $n > N$  all moments are assumed negligible.

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$$\left. \begin{array}{l} -D\nabla^2 f_0(r) + \sum_a T_a a_{00} f_0(r) + \sum_a T_a a_{01} f_1(r) + \dots + \sum_a T_a a_{0N} f_N(r) = S_0(r) \\ 1/2 a_{10} \sum_a T_a f_0(r) + (-D\nabla^2 + \xi \Sigma_s + \sum_a 1/2 a_{11}) f_1(r) + \dots + \sum_a T_a 1/2 a_{1N} f_N(r) = S_1(r) \\ \dots \\ \sum_a a_{N1} 1/(1+N) f_0(r) + \dots + \left( -D\nabla^2 + N\xi \Sigma_s + \sum_a \frac{a_{NN}}{1+N} \right) f_N(r) = S_N(r) \end{array} \right\} \text{Eq. (9)}$$

The solution of the homogeneous set of Eqs. (9) may be written as a superposition, with arbitrary coefficients  $\Lambda_i$ , of the solutions of

$$\nabla^2 \Phi(\nu r) - \nu^2 \Phi(\nu r) = 0 \quad \text{Eq. (10)}$$

where  $\nu^2$  is determined by

$$\left. \begin{array}{l} -L^2 \nu^2 + a_{00}, a_{01}, \dots, a_{0N} \\ 1/2 a_{10}, -L^2 \nu^2 + \Delta^{-1} + 1/2 a_{11}, \dots, \frac{a_{0N}}{2} \\ \dots \\ a_{N0}/(1+N) \dots, -L^2 \nu^2 + N\Delta^{-1} + \frac{a_{NN}}{1+N} \end{array} \right\} = 0 \quad \text{Eq. (11)}$$

$$\text{where } L^2 = D / \frac{1}{2} \sqrt{\pi} \sum_a T_a, \quad \Delta = \frac{1}{2} \sqrt{\pi} \sum_a T_a / \xi \Sigma_s.$$

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Abstractor's note:  $\xi$  not defined.  $\exists$  having  $2(N+1)$  roots for  $\pm \nu_j$ . The solution of the homogeneous equations may then be written

$$f_n(r) = \sum_{j=0}^{N-1} A_j^+ C_n^j \Phi(\nu_j r) + \sum_{j=0}^{N-1} A_j^- C_n^j \Phi(-\nu_j r) \quad \text{Eq. (12)}$$

where  $A_j^\pm$  are arbitrary constants dependent on boundary conditions, and  $C_n^j$  coupling constants. From Eq. (11), products  $\sqrt{\nu_j^2 L^2}$  and the coefficients  $C_n^j$  are independent of geometry and may be tabulated. Also, the product  $\sqrt{\nu_j^2 L^2}$  depends only on the order of approximation and on  $\Delta$ , so that

$$\nu_j^2 = 1/L^2 h_j(\Delta) \quad \text{Eq. (13)}$$

From Eq. (12) and the fact that an orthogonality relation

$$\sum_{n=0}^{N-1} (1+n) C_n^j C_n^k = \delta_{jk} G_j$$

is established, a particular solution of the inhomogeneous equations (9) may be determined. A solution

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$$f_n^0(r) = \sum_{j=0}^{j=N} c_n^j R_j(r) \quad \text{Eq. (14)}$$

is postulated. Substituting this in Eqs. (9), multiplying by  $c_n^k(1+n)$  and summing over  $n$ , and using the above orthogonality relation

$$-D\nabla^2 R_k(r) G_k + Dy_k^2 G_k R_k(r) = \sum_{n=0}^{n=N} (1+n) c_n^k S_n(r) \quad \text{Eq. (18)}$$

is obtained. There are only  $(1+N)$  equations for the  $2(1+N)$  arbitrary functions  $A_j^\pm(r)$  and a further  $(1+N)$  additional conditions

$$\nabla A_j^+ \Phi(r, r) + \nabla A_j^- (r) \Phi(-r, r) = 0 \quad (j = 0, 1, \dots, N) \quad \text{Eq. (19)}$$

are added, giving solutions

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$$\nabla A_j^+(r) \Phi(v_j, r) + \nabla A_j^-(r) \Phi(-v_j, r) = 0 \quad \text{Eq. (20)}$$

$$\nabla A_j^+(r) \nabla \Phi(v_j, r) + \nabla A_j^-(r) \nabla \Phi(-v_j, r) = -\frac{1}{DG^j} \sum_{n=0}^{N-j} (1+n) C_n S_n(r) \dots$$

for each pair of functions, so that the general solution is

$$f_n(r) = \sum_{j=0}^{N-n} [A_j^+ + A_j^-(r)] \Phi(v_j, r) + \sum_{j=0}^{N-n} [A_j^- + A_j^-(r)] \Phi(-v_j, r) \quad \text{Eq. (21)}$$

The general boundary conditions will be satisfied in the Nth approximation if the moments  $f_n(r)$  satisfy

$$f_n^{(1)}(r) = f_n^{(2)}(r) \quad \text{Eq. (23)}$$

$$D^{(1)} \frac{\partial f_n^{(1)}(r)}{\partial n} = D^{(2)} \frac{\partial f_n^{(2)}(r)}{\partial n} \quad (n = 0, 1, 2, \dots, N) \text{ at the boundary between two media (1) and (2).}$$

The simplest possible case is the  $L_1$  approximation in a homogeneous medium.

Eq. (11) becomes

$$\begin{vmatrix} -L^2 v^2 + 1, 1/2, \\ 1/4, -L^2 v^2 + 4^{-1} + 7/8 \end{vmatrix} = 0 \quad \text{Eq. (24)}$$

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which, for small  $\Delta$  and  $\sum \frac{T}{\alpha} / \sum \epsilon \gg 1$ , gives

$$v_0^2 = \frac{1}{L_1^2} (0.57847 + 0.587174^{-1} - 0.33760\Delta^{-2} + \dots)$$

$$v_1^2 = \frac{1}{L_1^2} (1.29652 + 0.41293\Delta^{-1} + 0.33760\Delta^{-3} + \dots)$$

Eq. (26)

The coefficients  $C_n^j$  may be written

$$C_0(v_0^2) = C_1(v_1^2) = 1$$

$$C_1(v_0^2) = 2(L_1^2 v_0^2 - 1)$$

$$C_0(v_1^2) = \frac{\Delta}{2(L_1^2 v_1^2 - \Delta)}$$

Eq. (27)

To examine the significance of these results, the contribution of neutrons in the Fermi tail to the absorption rate during thermalization is neglected. The effective temperature of the spectrum remains a variable, so that the remaining absorption will be

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$$\Lambda^* = - \sum_a T_{eff} M \sqrt{T_{eff}(r)} f_0(r) \quad \text{Eq. (30)}$$

where

$$M[T_{eff}(r)] = \frac{T^2}{T_{eff}} \exp\left[-\epsilon \frac{T}{T_{eff}}\right], \quad \epsilon = \frac{E}{T} \quad \text{Eq. (31)}$$

and, expanding  $\sum_a M \sqrt{T_{eff}(r)}$  in Laguerre polynomials, an inhomogeneous set of equations for  $f_0(r)$  and  $f_1(r)$  in the  $L_1$  approximation are obtained

$$\begin{aligned} & - D \nabla^2 f_0(r) + \sum_a \frac{1/\kappa}{2} \frac{f_0(r)}{\sqrt{1 - f_1(r)/f_0(r)}} = S_0(r) \\ & - D \nabla^2 f_1(r) + \epsilon \sum_a f_1(r) + \sum_a \frac{\sqrt{\kappa}}{2} \frac{f_0(r)}{\sqrt{1 - \frac{f_1(r)}{f_0(r)}}} \left[ 1 - \frac{3}{4} \left( 1 - \frac{f_1(r)}{f_0(r)} \right) \right] = 1/2 S_1(r) \end{aligned} \quad \text{Eq. (37)}$$

If  $f_1/f_0 \ll 1$ , Eqs. (37) may be linearized

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$$-D\nabla^2 f_0(r) + \sum_a \frac{\sqrt{\pi}}{2} f_0(r) \left[ 1 + \frac{1}{2} \cdot \frac{f_1(r)}{f_0(r)} + \dots \right] = S_0(r)$$

$$-D\nabla^2 f_1(r) + \xi \sum_a f_1(r) + \sum_a \frac{\sqrt{\pi}}{2} f_0(r) \left[ 1 + \frac{1}{2} \cdot \frac{f_1(r)}{f_0(r)} + \dots \right] \times$$

$$\times \left[ 1 - \frac{3}{4} \left( 1 - \frac{f_1(r)}{f_0(r)} \right) \right] = S_0(r) \left( 1 - \frac{(\epsilon) S}{2} \right)$$

Eq. (38)

which may be shown to be exactly equation (9) for  $N=1$ . The method is now used to find the distribution of neutron temperature in a plate of natural uranium surrounded by an infinite graphite moderator. Constant neutron source distribution is assumed in the cases a)  $S_0 = \text{const.}$ ,  $S_1 = 1.5 S_0$  (neutron slowing down source), and b)  $S_0 = \text{const.}$ ,  $S_1 = 0$  (source neutron temperature = moderator temperature). The particular solution of equation (9) gives

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$$\left. \begin{aligned} f_0(\infty) &= \frac{S_0(\xi\Sigma_s + 7/8\Sigma_a^T) - 1/2\Sigma_a^TS_1}{\Sigma_a^T(\xi\Sigma_s + 3/4\Sigma_a^T)} \\ f_1(\infty) &= \frac{\Sigma_a^TS_1 - 1/4\Sigma_a^TS_0}{\Sigma_a^T(\xi\Sigma_s + 3/4\Sigma_a^T)} \end{aligned} \right\}$$

Eq. (39)

The equations are evaluated for  $L = 50$  cm.,  $L_t = 5$  cm., and the diffusion length in uranium = 1.14 cm. and the calculated flux and mean energy distributions are shown. Comparison with the results of Ref. 1 (Op. cit.) shows that more detailed investigations are required. For high  $N$ , the applicability of the  $L_N$  approximation is limited by the  $P_1$  approximation, and the condition

$$\frac{N\xi\Sigma_s + \Sigma_a^T}{\Sigma_s} \ll 1 \quad \text{Eq. (43)}$$

will be shown to apply in a subsequent paper. The neutron spectrum distribution in the fuel seems to be more conveniently treated by approximate matrix expressions due to the complicated boundary conditions, although it

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may be described by an equation only parametrically dependent on energy. The change of spectrum distribution produced by the variable absorption cross-section is considerable in strong absorbers, but of little significance in weak absorbers. For semiphenomenological considerations, Eq. (1) may be written

$$\left( - \sum_{n=0}^{m-1} D_{mn} \nabla^2 + \frac{\alpha_{mn}}{1+m} \Sigma_a^T - \gamma_{mn} \Sigma_s \right) f_n = S_m \quad (m = 0,1)$$

where

$$D_{mn} = \frac{1}{1+m} \int_0^\infty M(E) D(E) L_m(E) L_n(E) dE$$

$$\gamma_{mn} = \frac{1}{1+m} \int_0^\infty \int_0^\infty M(E) \frac{\Sigma_s(E \rightarrow E')}{\Sigma_s} (L_m(E') - L_n(E)) L_m(E) dE' dE$$

Eq. (45)

and for heavy moderators it may be assumed that  $D(E)$  does not vary significantly nor affect much the orthogonality of the Laguerre polynomials.

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Thus, terms  $D_{01}$  and  $D_{10}$  may be neglected, and  $\gamma_{0n}$ ,  $\gamma_{n0}$  and  $\gamma_{00}$  are all zero, since  $L_0(E)$  is defined = 1. From equation (48) it may be shown that

$$\begin{aligned} & (-\nabla^2 + k_0^2) f_0 + 1/2 k_1^2 f_1 = S_0 \\ & 1/4 k_0^2 f_0 + (-\nabla^2 + k_1^2) f_1 = S_1 \end{aligned} \quad \text{Eq. (48)}$$

where  $k_0^2 = k_0^2 \frac{D_{00}}{D_{11}}$ ;  $S_0 = \frac{S_0}{D_{00}}$ ;  $S_1 = \frac{S_1}{D_{11}}$ .

with  $\frac{\sum_{00}^T a}{D_{00}} = k_0^2(T)$ ,  $\frac{\frac{1}{2} \langle (E - E')^2 \rangle}{D_{11}} + \frac{\sum_{00}^T a}{D_{11}} = k_1^2(T)$

$\frac{1}{2} \langle (E - E')^2 \rangle$  is the mean energy transfer square. Hence  $k_0^2$  and  $k_1^2$  may be evaluated experimentally by flux and energy measurements in simple geometrical conditions. The author thanks Doctor R. Zelazny and Miss K. Kowalska for their help. There are 2 figures, 2 tables and 2 Soviet-bloc references.

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Neutron spectrum temperature...

ASSOCIATION: Polish Academy of Sciences Institute of Nuclear Research,  
Warsaw, Reactor Engineering Department

SUBMITTED: May, 1981

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AUTHOR:

Weiss, Zbigniew

TITLE:

The transport theory of thermal neutrons in a heavy gas moderator

PERIODICAL:

Nukleonika, v. 6, no. 11, 1961, 691 - 701

TEXT: This is the third in a series of four papers by the author on neutron temperature distribution. The solution of the multivelocity Boltzmann equation is reduced to solving set of single-velocity Boltzmann equations for the energy moments of the expansion of the distribution function in Laguerre polynomials. The requirement for more exact information about neutron spectra has arisen with the development of the spherical harmonics approach to reactor theory. The Boltzmann equation is written in the form

$$\Omega \cdot \text{grad} \Psi + \sigma_{\text{tot}} \Psi = \int_0^{\infty} dE' \iint \langle \sigma(E' \rightarrow E, \Omega \cdot \Omega') \rangle_T \Psi(r, \Omega'; E') d\Omega' + S \quad (1)$$

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with  $\Psi = \Psi(r, \Omega, E)$  representing the neutron distribution;  $\sigma_{\text{tot}}(E)$  the total macroscopic cross-section;  $\langle \sigma(E' + E, \Omega \cdot \Omega') \rangle_T$  the energy transfer cross-section; and  $\Omega \cdot \Omega'$  the cosine of the angle through which the neutron is scattered. Expressing the energy transfer cross-section analytically, and in the  $1/M$  approximation,

$$\sigma_{\text{tot}}(E) = \sigma_a(E) + \sigma_o \left( 1 - \frac{2}{M} + \frac{T}{2ME} \right) \sigma_o + \sigma_a(E) - \sigma_o \sigma_1(E) \lambda \quad (5)$$

where  $\sigma_o$  is the bound atom scattering cross-section,  $\sigma_a$  the absorption cross-section,  $\lambda = 1/M$ , and  $\sigma_1(E) = (2 - T/2E)$ . Also, putting the expression for the energy transfer cross-section in the right-hand side of Eq. (1), the equation becomes

$$\begin{aligned} \Omega \cdot \text{grad } \Psi + \sigma_o [1 - \lambda \sigma_1(E)] \Psi + \sigma_a(E) \Psi = \\ = \frac{\sigma_o}{4\pi} \iint \{ [1 - \lambda \sigma_1(E)] (1 + 2\lambda\hat{a}) - 2\lambda \Omega \cdot \Omega' (\hat{a}-1) \} \Psi(r, \Omega^o, E) d\Omega' + S \quad (1') \end{aligned}$$

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with  $\hat{\alpha}$  representing the operator  $E\frac{\partial^2}{\partial E^2} + E\frac{\partial}{\partial E} + 1$ , so long as the restriction to the first order of the  $1/M$  approximation is observed. Eq. (1') may further be rewritten

$$(\hat{I}_0 - \lambda \hat{I}_1) \Psi(r, \Omega, E) = S(r, \Omega, E) \quad (1'')$$

where the operators  $\hat{I}_0$  and  $\hat{I}_1$  are given by

$$\hat{I}_0 = \Omega_{\text{grad}} + \bar{\sigma}_a + \sigma_0 - \frac{1}{4\pi} \sigma_0 \iint (1 + 2\lambda \hat{\alpha}) \dots d\Omega' \quad (7a)$$

$$\begin{aligned} \hat{I}_1 &= \sigma_0 \sigma_1(E) \left[ 1 - \frac{1}{4\pi} \iint \dots d\Omega' \right] - [\sigma_a(E) - \bar{\sigma}_a] / \lambda \\ &\quad - \sigma_0 \frac{1}{2\pi} (\hat{\alpha} - 1) \iint \Omega \cdot \Omega' \dots d\Omega' \end{aligned} \quad (7b)$$

and the absorption cross-sections are assumed to be small. The equation for the zeroth order approximation is

$$\hat{I}_0 \Psi_0 = S \quad (8) \quad X$$

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gives the isotropic constant cross-section approximation. The eigenfunctions of  $\Omega$  form a complete set of Laguerre polynomials which are, in vector notation,

$$|j\rangle = \frac{E}{T^2} \exp\left(-\frac{E}{T}\right) L_j^1(E/T) \quad (9)$$

The solution of Eq. (8) may then be represented as an infinite expansion

$$\Psi_0(r, \Omega, E) = \sum_j |j\rangle \langle j|\Psi_0\rangle \quad (10)$$

with the coefficients  $\langle j|\Psi_0\rangle = f_j(r, \Omega)$  satisfying

$$\sum_j \langle i|I_0|j\rangle \langle j|\Psi_0\rangle = \langle i|s\rangle \quad (i = 0, 1, 2, \dots) \quad (11)$$

Since the operator  $\hat{I}$  is diagonal with respect to the variable  $E$ , a separate transport equation is given for each energy moment  $f_j(r, \Omega)$

$$\Omega \operatorname{grad} f_j(r, \Omega) + \sigma f_j(r, \Omega) = \frac{c_j \epsilon}{4\pi} \iint f_j(r, \Omega') d\Omega' + s_j \quad (12)$$

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where

$$f_j(r, \Omega) = \langle j | \psi_0 \rangle = \frac{1}{j+1} \int \psi_0(r, \Omega, E) L_j(E/T) dE$$

$$s_j(r, \Omega) = \langle j | s \rangle = \frac{1}{j+1} \int s(r, \Omega, E) L_j(E/T) dE$$

and

$$c_j = c_0 (1 - 2 \lambda_j) \quad 6 = 6_0 + \overline{\sigma}_a$$

[Abstractor's note:  $\overline{\sigma}_a$  not defined.] Hence the multivelocity thermalization equation has been reduced to an uncoupled set of one velocity Boltzmann equations with different effective numbers of secondaries  $c_j$ . Assuming the functions to be known, then from equation (1")

$$\psi(r, \Omega, E) = \psi_0(r, \Omega, E) + \lambda \psi_1 \quad (15a)$$

where

$$\hat{I}_0 \psi_1 = \hat{I}_1 \psi_0 \quad (15b)$$

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giving the correction term  $\Psi$ , of the order of  $1/M$  which must be added to the isotropic constant cross-section approximation to obtain the consequent  $1/M$  solution. From Eq. (9) and the conjugate vectors

$$\langle k | = \left\langle \frac{1}{k+1} L_k (E/T) \right. \quad (9')$$

Eq. (15b) becomes

$$\sum_j \langle i | I_0 | j \rangle \langle j | \Psi_1 \rangle - \sum_k \langle i | I_1 | k \rangle \langle k | \Psi_0 \rangle \quad (16)$$

$\langle i | I_0 | j \rangle$  is as in the zeroth approximation, but  $\langle i | I_1 | k \rangle$  is given by

$$\langle i | I_1 | k \rangle = \hat{p}_\Omega \sigma_0 \beta_{ik} - \bar{\sigma}_a \delta_{ik} + \sigma_0 \delta_{ik} (k+1) \hat{q}_\Omega \quad (17)$$

where

$$\hat{p}_\Omega = 1 - \frac{1}{4\pi} \int \int \dots d\Omega'$$

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$$\hat{q}_\Omega = \frac{1}{2\pi} \int \int \Omega \cdot \Omega' \dots d\Omega'$$

are operators acting only on the angular coordinates of the distribution function,  $\beta_{ik} = 2\delta_{ik} - 1/2$  are the matrix elements of  $\delta_1(E)$ , defined as

$$\frac{1}{i+1} \int_0^\infty M(E) L_i(E) \left(2 - \frac{1}{2E}\right) L_k(E) dE \quad \text{and}$$

$$\gamma_{ik} = \frac{\sigma_a^T}{\sigma_a} \alpha_{ik} - \delta_{ik} \quad (17d)$$

where

$$\alpha_{ik} = \int_0^\infty M(E) L_i(E) L_k(E) E^{-1/2} dE$$

[Abstractor's note: M(E) not defined]. Consequently

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$$\Psi(\mathbf{r}, \Omega, E) = M(E) \sum_j \left[ f_j(\mathbf{r}, \Omega) + \frac{1}{M} g_j(\mathbf{r}, \Omega) - L_j(E/T) \right] \quad (18)$$

where  $f_j(\mathbf{r}, \Omega)$  and  $g_j(\mathbf{r}, \Omega)$  satisfy

$$\Omega \operatorname{grad} f_j + \sigma f_j - \frac{c_i \sigma}{4 \pi} \iint f_j(\mathbf{r}, \Omega') d\Omega' = s_j(\mathbf{r}, \Omega) \quad (18a)$$

$$\begin{aligned} \Omega \operatorname{grad} g_j + \sigma g_j - \frac{c_i \sigma}{4 \pi} \iint g_j(\mathbf{r}, \Omega') d\Omega' = \\ -[\sigma_0(j+1) \hat{q}_\Omega + 2 \sigma_0 \hat{p}_\Omega] f_j(\mathbf{r}, \Omega) + \bar{\sigma}_a \cdot f_j(\mathbf{r}, \Omega) - \\ - \sum_k \left[ \frac{\sigma_0}{2} \cdot \hat{p}_\Omega + \frac{G_a^T \alpha_{jk}}{1+k} \right] f_k(\mathbf{r}, \Omega) \end{aligned} \quad (18b)$$

Each  $g_j$  function, being dependent on the whole set of  $f_j$  functions, is not

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exact in a finite approximation, but for not too large absorption, the moments converge rapidly since the spectrum is not much different from the Maxwellian. The operator p gives the difference between the actual distribution and its mean value, and the operator q is connected with the neutron current. The restriction on the order of the Laguerre polynomial expansion in the P<sub>1</sub> approximation, shown in the author's previous two papers, is avoided here, and some of its inadequacies are shown up. In the P<sub>1</sub> approximation, the first roots of the determinant equation obtained by expanding the energy moments into Legendre polynomials increased with increasing order of the moment index, so that the appropriate attenuation length were decreasing - a contradiction since these cannot be less than the neutron mean free path. This does not occur in the method presented here, in fact, for j M/2 c<sub>j</sub> becomes negative, and there are no "diffusion" solutions. There are 11 references, 4 Soviet-bloc and 7 non-Soviet-bloc. The 4 most recent references to English-language publications read as follows: E.R. Cohen, Nucl. Science and Engineering 2 227 - 245 (1957); Jr. Hurvitz, M.S. Nelkin, G.J. Habetler, Nucl. Sciences and Engineering 1 280 - 312 (1956); S. Iha. Sunhanshu, J. of Nuclear Energy June (1960); D.A. Kottwitz, Ther-

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The transport theory of ...

mal Neutron Flux in a Nonabsorbing Heavy Gas Medium with a Temperature Dis-  
continuity, ORNE - 2739

ASSOCIATION: Polish Academy of Sciences. Institute of Nuclear Research  
Warsaw. Reactor Engineering Department, Reactor Theory  
Group

SUBMITTED: July, 1961

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24.6500

AUTHOR:

Weiss, Zbigniew

TITLE:

The  $P_{N,J}^L$  approximation of neutron thermalization in a heavy gas moderator

PERIODICAL:

Nukleonika, v. 6, no. 11, 1961, 703 - 716

TEXT: This is the last of 4 papers by the author on neutron temperature distribution and illustrates the method of solving the multivelocity Boltzmann equation developed in the third of these, together with a solution of the Milne problem in  $P_{3,L,J}^L$  approximation. From the third paper, the neutron distribution function in space, in consequent  $1/M$  approximation may be written

$$\psi(x, \mu, E) = \psi^{(0)} + \frac{1}{M} \psi^{(1)} = \frac{E}{T^2} \exp\left(-\frac{E}{T}\right) \sum_j [f_j(x, \mu) +$$

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$$+ \frac{1}{M} g_j(x, \mu) \Big] L_j \stackrel{E}{=} T \quad (1)$$

with  $f_j$  and  $g_j$  satisfying

$$\mu \frac{\partial f_j}{\partial x} + f_j - \frac{c_j}{2} = \int_{-1}^{+1} f_j(x, \mu') d\mu' = s_j(x, \mu) \quad (j = 0, 1, \dots) \quad (2a)$$

and

$$\begin{aligned} \mu \frac{\partial g_j}{\partial x} + g_j - \frac{c_j}{2} \int_{-1}^{+1} g_j(x, \mu') d\mu' &= c_0 [(1+j) \hat{q}_\mu] f_j(x, \mu) + \\ &+ c_0 \hat{p}_\mu \sum_{k=0}^j \beta_{jk} f_k(x, \mu) + (1 - c_0) \sum_{k=0}^j \gamma_{jk} f_k(x, \mu) \end{aligned} \quad [2b]$$

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$$\text{where } c_0 = \frac{\bar{G}_0}{\bar{G}_0 + \bar{G}_a}; \hat{\mu} = \mu \int_{-1}^{+1} \mu' \dots d\mu'; \hat{P}_{\mu} = 1 - 1/2 \int_{-1}^{+1} \dots d\mu' \quad (3)$$

Throughout the paper, the notation used is: - Legendre vectors  $|M\rangle = \frac{2M+1}{2}$   
 $P_M(\mu)\rangle$ , and their conjugates  $\langle N| = \langle P_N(\mu)|$ ; Laguerre vectors  
 $|j\rangle = |E/T^2 \exp(-E/T) L_j(E/T)\rangle$  and their conjugates  $\langle k| = \langle 1/k + 1$   
 $L_k(E/T)\rangle$ . All the problems involved concern the general solution of the  
inhomogeneous one-velocity transport equation, and this is next found. In  
the vector notation, the equation to be solved is

$$(k = 0, 1, 2, \dots) \quad (5')$$

$$\sum_{M,j} \langle N,k | I_0 | j,M \rangle \langle M,j | \psi \rangle = \langle N,k | F \rangle \quad (N = 0, 1, 2, \dots)$$

with  $F$  an arbitrary function of  $x, \mu, E$ , and  $I$  is a transport operator de-  
fined in the author's previous paper (Nukleonika, 6, 691, 1961). The solution  
of the homogeneous equation in  $P_N$  approximation may be written

$$\psi^j_n = c^j \exp(vx) \quad (10) \quad X$$

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where  $C_j$  are column vectors, the elements  $C_M^j$  of which are simply numbers. Since the matrix elements  $\langle N, k | I_c | j, M \rangle$  are diagonal with respect to energy variable, and since, from the recurrence formulae of Legendre polynomials  $\langle N | \mu | M \rangle$  may be written

$$\langle N | \mu | M \rangle = \frac{1}{2N+1} [ (N+1) \delta_{N+1,M} + M \delta_{N-1,M} ] = \frac{(\hat{\omega})_{NM}}{2N+1} \quad (8)$$

then the homogeneous equation to be solved becomes

$$\nu [\hat{\omega} c^j] + c^{*j} = 0 \quad (6'')$$

where

$$c_M^{*j} = (2M+1) (1 - c_j \delta_{0M}) c_M^j \quad (6'')$$

and  $c_j = c_0 (1 - 2j/M)$ . The matrix  $\hat{\omega}$  is symmetric, so that there are  $N+1$  (for odd  $N$ ) eigenvalues for  $\nu = \pm \nu_1, \pm \nu_2, \dots, \pm \nu_{(N+1)/2}$  and also the  $c^j$  ( $\nu_r$ ) vectors are orthogonal to each other. Thus the general solution of

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the homogeneous equation is

$$\Psi_0 = \sum_{r=1}^{N+1} A_r^{i+} C(v_r) \exp(v_r x) + \sum_{r=1}^{N+1} A_r^{i-} C(-v_r) \exp(-v_r x) \quad [12]$$

where  $C_M^l(-v_r) = (-1)^M \cdot C_r^l(v_r)$ .

For the particular solution , column vectors

$$F^k = \begin{pmatrix} \langle 0, k, | F \rangle \\ \langle 1, k, | F \rangle \\ \dots \\ \langle M, k, | F \rangle \end{pmatrix} \quad (13)$$

are defined, and the solution

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$$\Psi_p^k = \sum_{s=1}^{-\frac{N+1}{2}} B_s^{k+}(x) C(v_s^k) \exp(v_s^k x) + \sum_{s=1}^{-\frac{N+1}{2}} B_s^{k-}(x) C(-v_s^k) \exp(-v_s^k x) \quad [14]$$

is postulated. Putting this Eq. (5'), for each k

$$\begin{aligned} & \sum_{s=1}^{-\frac{N+1}{2}} \frac{dB_s^{k+}(x)}{dx} [\hat{\omega} C(v_s^k)] \exp(v_s^k x) + \sum_{s=1}^{-\frac{N+1}{2}} B_s^{k+}(x) \{v_s^k [\hat{\omega} C(v_s^k)] + \\ & + C^*(v_s^k)\} \cdot \exp(v_s^k x) + \{\text{for the } (-v_s^k) \text{ roots}\} = [\hat{D} F^k] \quad [15] \end{aligned}$$

where D is a diagonal matrix, with  $D_{NN} = 2N + 1$ . From Eq. (6''), and the definition of the vector  $C^k$ , multiplying by  $C_k(v_s^k)$ , and integrating

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$$B_s^k \pm (x) = -\frac{\pm \nu_s^k}{h(\nu_s^k)} \int_0^{\infty} (C(\pm \nu_s^k) [D \cdot F^k(\xi)]) \exp(-\mp \nu_s^k \xi) d\xi \quad (17)$$

so that the general solution of the problem may be written

$$\langle M, k | \psi \rangle = \sum_{n=1}^{M+1} \left[ A_n^{k+} - \frac{\nu_s^k}{h(\nu_s^k)} \sum_{M'} (2M'+1) C_{M'}(\nu_s^k) \int_0^{\infty} e^{-\nu_s^k t} \langle M', k | F(t) \rangle dt \right] \\ + M(\nu_s^k) \exp(\nu_s^k x) + \{ \text{for negative roots } -\nu_s^k \} \quad [18]$$

where

$$h(\nu_s^j) = (N+1) (\nu_s^j)^2 C_N(\nu_s^j) \left. \frac{dC_{N+1}(\nu_s^j)}{d\nu} \right|_{\nu=\nu_s^j} \quad (11b)$$

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The  $P_{N,J}^L$  approximation of ...

In the general case, this procedure is repeated twice.  $\psi$  is found first from the real sources  $S$  ( $\psi = \psi^{(0)}$ ,  $F = S$ ) and then the new fictitious source term  $\langle M, k | S_1 \rangle$  is found from Eq. (2b) and Eq. (18) gives the first correction term ( $\psi = \psi^{(1)}$ ,  $F = S_1$ ). The method is applied to calculate the Milne problem in  $P_{N,J}^L$  approximation, with  $c_o \rightarrow 1$ . From the boundary conditions at infinity,  $\psi^{(0)} = 0$  for  $j > 0$ , and  $\Psi^0$  may be written

$$\Psi^0 = \begin{pmatrix} z_0 + x + Ae^{-izx} \\ -1/3 \\ AC_2 e^{-izx} \\ AC_3 e^{-izx} \end{pmatrix} \quad [19]$$

[ Abstractor's note: In Eq. (19), the last 2 terms in the matrix should read  
 $AC_2 e^{-\nabla_2^0 x}$ ;  $AC_3 e^{-\nabla_2^0 x}$  ]

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The  $P_{N,J}^{LJ}$  approximation of ...

with, in  $P_{N,J}^{LJ}$  approximation, the extrapolation length  $z_0 = 0.70509$ ,  $A = -0.10247$ , and  $\nu_2^0 = 1.972027$ , and  $x$  is measured in  $\text{e}^{-1}$  units. The  $F^K$  vectors (Eq. 13) are found by acting on  $\Psi^{(0)}$  with the operator  $I_1$ , as defined in the previous paper (Nukleonika, 6, 691, 1961). For  $c_0 \rightarrow 1$ , the matrix elements of  $I_1$  in  $|k,N\rangle$  representation are

$$\langle M, j | I_1 | k, N \rangle = \left\{ \delta_{jk} \left[ \frac{2}{3} (1 + j) \delta_{1,N} \right] + \beta_{jk} (1 - \delta_{0M}) \right\} \delta_{N,M} \quad (20)$$

so that

$$F^0 = \begin{pmatrix} 0 \\ -\frac{1}{3} (\beta_{00} + \frac{2}{3}) \\ \beta_{00} AC_2 e^{-iz} \\ \beta_{00} AC_3 e^{-iz} \end{pmatrix} \quad F^k = \begin{pmatrix} 0 \\ -\frac{\beta_{0k}}{3} \\ \beta_{0k} AC_2 e^{-iz} \\ \beta_{0k} AC_3 e^{-iz} \end{pmatrix} \quad [22a]$$

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D216/D304

The  $P_{N_J}^L$  approximation of ...

and thus

$$\begin{aligned} [DF^0] &= \begin{pmatrix} 0 \\ -\left(\beta_{00} + \frac{2}{3}\right) \\ 5\beta_{00}AC_2e^{-ix} \\ 7\beta_{00}AC_3e^{-ix} \end{pmatrix}, \quad [DF^k] = \begin{pmatrix} 0 \\ -\beta_{0k} \\ 5\beta_{0k}AC_2e^{-ix} \\ 7\beta_{0k}AC_3e^{-ix} \end{pmatrix} \quad [22b] \end{aligned}$$

From Eq. (17), and using the boundary conditions of the problem, the first component (total flux) is given by

$$\begin{aligned} \langle 0,0 | (1) \rangle &= z_0 (\beta_{00} + 2/3) + A(\beta_{00} + 2/3) \exp(-\gamma_2^0 x) + \\ &\quad + A\gamma_2^0 x \exp(-\gamma_2^0 x) \quad (28) \end{aligned}$$

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D216/D304

The  $P_{N,J}^L$  approximation of ...

$$\stackrel{(1)}{\Psi^0} = \begin{pmatrix} z^0 \left( \beta_{00} + \frac{2}{3} \right) + A \left[ \beta_{00} + \frac{2}{3} - v_2^0 x \right] \exp(-v_2^0 x) \\ \frac{\beta_{00} + 2/3}{3} \\ (C_2 A (v_2^0 x + \beta_{00} + 2/3) \exp(-v_2^0 x)) \\ (C_3 A (v_2^0 x + \beta_{00} + 2/3) \exp(-v_2^0 x)) \end{pmatrix} \quad [29]$$

The zeroth energy moment of the flux distribution may be written

$$\stackrel{(0)}{\Psi^0} = \stackrel{(1)}{\Psi^0} + \frac{1}{M} \stackrel{(1)}{\Psi^0} \quad (30)$$

with  $\stackrel{(0)}{\Psi^0}$  and  $\stackrel{(1)}{\Psi^0}$  given by Eqs. (19) and (29). Solving Eq. (17) for the functions  $B_k(x)$ , and substituting in Eq. (18)

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P/046/61/006/011/002/004  
D216/D304

The  $P_{N,J}^L$  approximation of ...

$$(1) \psi^k = \sum_{r=1}^{r=2} B_r^{k'} c(-\nu_r^k) \exp(-\nu_r^k x) + u^k \exp(-\nu_2^0 x) + z^k \quad (34)$$

where

$$(u^k)_N = \sum_r \left[ \frac{b_r^{k-} c_N(-\nu_r^k)}{\nu_r^k - \nu_2^0} - \frac{b_r^{k+} c_N(\nu_r^k)}{\nu_r^k + \nu_2^0} \right] \quad (35a)$$

$$(z^k)_N = \sum_r \frac{a_r^{k+} c_N(\nu_r^k) - a_r^{k-} c_N(-\nu_r^k)}{\nu_r^k} \quad (35b)$$

and the integration constants  $B_r^{k'}$  may be evaluated from the Marshak plane surface boundary conditions. The extrapolation length exact to the order of  $1/M^2$  becomes

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P/046/61/006/011/002/004  
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The  $P_{N,J}$  approximation of ...

$$z'_0 = z_0 \left[ 1 + \frac{1}{M} \left( \beta_{00} + \frac{2}{3} \right) \right] = z_0 \left( 1 + \frac{3}{2M} + \frac{2}{3M} \right) \quad (40)$$

the term  $2/3M$  for first order anisotropy of scattering coinciding with that of Davison (Neutron Transport Theory, Oxford), and the correction  $3/2M$  for the variable scattering cross-section being the same as that obtained by Nelkin (Nucl. Sci. and Engineering, 7, 6, 1960) by a variational method. Other problems may easily be solved, and a similar procedure may be used for other geometries. There are 1 figure, 3 tables and 4 references; 1 Soviet-bloc and 3 non-Soviet-bloc. The references to English-language publications read as follows: B. Davison, Neutron Transport Theory, Oxford, 1957; M.S. Nelkin, Nucl. Sci. and Engineering, 7, 6, 1960; B. Davison, Neutron Transport Theory, Oxford 1957, formula 17.32

ASSOCIATION: Polish Academy of Sciences. Institute of Nuclear Research, Warsaw. Reactor Engineering Department, Reactor Theory Group

SUBMITTED: July, 1961

Card 13/13

X

WEISS, ZBIGNIEW

4

21.5210

AUTHORS:

Boułyk Jacek, Dąbek Władysław, Dabrowski Cyryl, Józefowicz  
Krystyna, Koźmiński Jerzy, Suwalski Witold, Topa Jerzy,  
and Weiss Zbigniew

30581  
P/046/61/006/011/003/004/  
D216/D304

TITLE:

Experimental analysis of the use of the "EWA" reactor for  
some pile-oscillator measurements

PERIODICAL:

Nukleonika, v. 6, no. 11, 1961, 717 - 734

TEXT: This paper investigates the sensitivity of moderator purity determinations in the WWR-S "EWA" reactor of the Polish Academy of Sciences at Swierk using various methods. A preliminary report of the work has already been published (Ref. 6; W. Dąbek Nukleonika, 5, 415, 1960). The periodic change in neutron density caused by harmonic oscillation of an absorbing sample causing small reactivity changes may be written

$$\frac{n(t) - n_{av}}{n_{av}} = \sum_{m=1}^{\infty} C^{(m)} e^{j(m\omega t + \phi^{(m)})} + \sum_{m=1}^{\infty} L^{(m)} e^{j(m\omega t + \psi^{(m)})}$$

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X

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D216/D304

Experimental analysis of ...

$$\approx \sum_{m=1}^{\infty} R(m) e^{j(m\omega t + \theta(m))}$$

(2)

where  $n(t)$  and  $n_{av}$  are the time dependent and average neutron densities,  $G(m)$ ,  $L(m)$ ,  $R(m)$  are the relative amplitudes of the  $m$ -th harmonics of the global (general reactor), local and resultant signals,  $\phi(m)$ ,  $\psi$  and  $\theta(m)$  are the phase angles of the global, local and resultant signals, and the period of oscillation of the sample  $T = 2\pi/\omega$ . Fundamental harmonics only are considered, the other being eliminated by the apparatus or by computation.  $G$  and  $L$  depend upon the absorber content of the sample, and the global and local signal sensitivities  $\delta$  and  $\lambda$  may be expressed

$$\delta = \frac{1}{x} \cdot \frac{G_x - G_0}{G_0} \quad (8a)$$

$$\lambda = \frac{1}{x} \cdot \frac{L_x - L_0}{L_0} \quad (8b)$$

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Experimental analysis of ...

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P/046/61/006/011/003/004  
D216/D304

where  $x$  = equivalent number of boron nuclei per million moderator nuclei, and the subscripts  $x$  and  $o$  refer to signals for samples with and without absorbing impurities respectively. Similarly, the sensitivity of the resultant signal,  $\theta$ , may be defined in terms of the phase angle

$$\vartheta = \frac{1}{x} (\theta_x - \theta_o) \quad (8c)$$

Measurements were made at 300 W reactor power with as low xenon poisoning as possible. The sample was oscillated in the core in an empty fuel channel with one detector in an adjacent fuel channel and one in the thermal column (detecting the resultant and global signals respectively). For reactor stability, the cooling system is not operated. Samples were made of 200 - 250 ccs. of moderator with varying contents of boric acid (100-1000 ppm of boron), and were contained in aluminum or plexiglass. The large amounts of poison were necessary due to the low sensitivities of signals and apparatus. The detectors were differential ionization chambers, used with mirror galvanometers, electrometric dc amplifiers with 100 % feedback and a constant current compensating circuit. 1. Static method: Eq. (8a)

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D216/D304

## Experimental analysis of ...

may be also expressed in terms of the fundamental harmonics of the  $k_{eff}$  change for samples with and without impurities, and these may be computed from statically measured characteristics of the change in  $k_{eff}$  obtained during the sample oscillation. Simultaneously, the adjacent detector determines the characteristics of the local change in neutron density and may be found from Eq. (8b). Finally,  $\vartheta$  may be obtained from Eq. (8c) by

$$\vartheta = \frac{d\theta}{dx} \Big|_{x=0} = \mp (g + 1) \frac{\sin \varphi}{1 + g^2 \mp 2 \cos \varphi} \quad (10)$$

where  $g = L/G$ , and the upper and lower signs refer to  $\varphi = 0$  and  $\pi$  (in phase and counter-phase oscillations) respectively.  $G$  and the relation between  $G$  and the change in  $k_{eff}$  may be computed or determined experimentally. The sample was positioned at the required point, and the reactor was balanced by a fine control rod which gave the appropriate value of  $k_{eff}$ .

2. Kinetic method: Global and resultant signals are recorded on oscilloscopes during oscillations of the sample. Parasitic phase shifts  $\tilde{G}_G$  and  $\tilde{G}_R$

X

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Experimental analysis of ...

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0216/D304

of the global and resultant signals occur, and are eliminated by performing two oscillations, one with  $\alpha = 0$  and one with  $\alpha = \pi$ , of the same sample. Since the parasitic effects are the same for both oscillations, they may be removed by combining the observations.  $\varphi$  is determined from this by a method of successive approximations, and the correct L and G values and hence l and  $\lambda$  are computed. The analysis becomes even simpler for small  $\varphi$  and  $(L/G)\alpha = \varphi > 2$ . The sample was mechanically oscillated with T variable from 1 - 22 seconds and amplitude from 50 - 430 mms. The reactor was balanced before and during the oscillations and once the oscillations were constant, a set of about 10 was recorded on oscillograms. At least 5 periods of the R and G signals were harmonically analyzed with accuracy up to the third harmonic. For measurements in the core with graphite samples, the signal sensitivities are, to an accuracy of 20%, - g and l both  $\sim 0.8$  %/ppm, and  $\lambda \sim 0.3$  %/ppm - all for optimum experimental conditions. These are lower by two orders of magnitude than those obtainable in thermal reactors, and similar results are found for other moderators. They are due to the high contribution of the slowing-down process to G and L, in comparison with which the absorption contribution is hardly observed. The self-shielding effect of boron is a factor 0.5 for samples containing 500-

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Experimental analysis of ...

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P'046/61/006/011/003/004  
D:16/D304

-1000 ppm of boron. Measurements in a horizontal channel in the water reflector gave slightly lower sensitivities, but were not pursued due to experimental difficulties and unpromising results. Static method measurements in the horizontal thermal column channel gave promising results for 1. The results indicate a considerable increase in the effective delayed neutron fraction in comparison with the data of Keppin, Wimett and Zeigler (Ref. 7: Phys. Rev., 107, 1044, 1957). Preliminary estimates give this as  $0.0081 \pm 0.0009$ , and the mean prompt neutron lifetime as  $100 \pm 30$  sec. The static and kinetic methods give consistent sensitivities. The authors acknowledge W. Frankowski, Head of Reactor Engineering Division IBJ, P. Szulc and L. Labno, in charge of teams of Reactor Operation Division IBJ, Dobrski, Kulman and Kwiatek for cooperation in reactor measurements, Post for elaborating the oscillator mechanical drive, Miss Brozyna and Miss Manczka for scanning the oscilloscopes, and Mrs. Sawicka, leader of the computer team from the Applied Mathematics Division IBJ. There are 8 figures and 8 references: 5 Soviet-bloc and 3 non-Soviet-bloc. The references to the English-language publications read as follows: D. Breton, First Geneva Conference Paper P/356, 1955; G.R. Keppin; T.F. Wimett, R.K. Zeigler, Phys. Rev., 107, 1044, 1957

Card 6/7

Experimental analysis of ...

30531  
P/046/61/006/011/003/004  
D216/D304

ASSOCIATION: Polish Academy of Sciences, Institute of Nuclear Research, Warsaw, Reactor Engineering Department

SUBMITTED: July, 1961

Card 7/7

W.E.F.S., Z

12

19670-65 EWT(m)/EPP(c)/EPP(n)-2/EPR Pr-4/Ps-4/Pu-4 SSD

ACCESSION NR: AP4045667

P/0046/64/009/07-0575/0585

AUTHOR: Adamski, L.; Arkuszewski, J. (Arkushevski, Ya.);  
Bednarz, R. (Bednarzn, R.); Jozefowicz, E. T. (Yuzefovich, E. T.);  
Jozefowicz, K. (Yuzefovich, K.); Kaczmarek, W. (Kachmarek, V.);  
Kulikowska, T. (Kulikovska, T.); Malewski, S. (Malevski, S.);  
Mika, J. (Mika, Ya.); Szechter, I. (Shekhter, A.); Weiss, Z.  
(Vayss, Z.); Bryhn-Ingebrigtsen, K. (Bry\*n-Ingebrigt\*sen, K.);  
Smit, J. (Smit, I.); Stamm'ler, R. I. J. (Stamm'ler, R. I. I.);  
Jockovic, M. (Iotskovich, M.); Pop-Jordanov, J. (Pop-Iordanov, I.);  
Takac, S. (Takach, M.).

B

TITLE: Microscopic neutron flux distributions in unit cells of critical assemblies of the NPY Project

SOURCE: Nukleonika, v. 9, no. 7-8, 1964, 575-585

TOPIC TAGS: neutron distribution, reactor physics, intracell neutron distribution, unit cell, critical reactor, NPY project

ABSTRACT: This article, which is one of the first official reports

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ACCESSION NR: AP4045667

of the NPY Project, contains a preliminary study of intracell neutron distributions in three critical assemblies operating in Norway, Poland, and Yugoslavia. The NPY lattices that were studied and the experimental techniques used in three zero-power reactors (NORA, ANNA, and RB) are discussed and experimental and theoretical results are given in tabular form (refer to the Enclosures). The computational methods used in Norway and applied to the NPY lattices involved the use of two integral transport codes (available for use on the Fárranti Mercury computer) developed by the Netherlands-Norwegian K-7 Project at Kjeller-K-7 THERMOS and K-7 TRANSCO; cross-sections used in these codes are given in tables. Two analytical methods were used in Poland: the first, used for NORA and ANNA, made use of a one-group Amouyal-Benoist approach applied to a multilayer system; the second used the Laguerre polynomial expansion for distributions in the moderator. Two computational methods were employed in Yugoslavia: a standard one-velocity P<sub>3</sub> method with isotropic flux return at the outer boundary and an improved analytical neutron thermalization method developed in Yugoslavia. The experimental and theoretical results obtained for NORA lattices show that the experimental values

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L 19670-65  
ACCESSION NR: AP4045667

of the disadvantage factors lie within the range of theoretical values obtained by different methods. Orig. art. has: 3 figures and 6 tables.

3

ASSOCIATION: Institute of Atomic Energy, Kjeller, Norway; Institute of Nuclear Research, Swierk, Poland; Boris Kidrich Institute of Nuclear Sciences, Vincha, Yugoslavia

SUBMITTED: 00 ENCL: 04 SUB CODE: NP

NO REF Sov: 002 OTHER: 020

Card 3/7

WEISSBERG, A.

Rumania/Chemical Technology. Chemical Products and Their Application -- Fats and oils. Waxes. Soap. Detergents. Flotation reagents,  
I-25

Abst Journal: Referat Zhur - Khimiya, № 2, 1957, 6427

Author: Anastasiu, St.; Jelescu, Eugenia; Weissberg, A.

Institution: None

Title: Detergents of Alkyl Aryl Sulfonate Type Obtained from Cracking Gas Oil

Original  
Publication: Rev. chim., 1956, 7, No 5, 283-290

Abstract: Preliminary results are described of laboratory work on preparation of detergents from gas oil (fractions of boiling range 180-260°, 260-315° and 180-315°) of cracking with removal therefrom (after sulfonation and neutralization of sulfonic acids) of the paraffin, and also from the same fractions of gas oil with addition of benzene (benzene:gas oil = 0.65). Alkylation is carried out in the presence of  $\text{AlCl}_3$  and  $\text{H}_2\text{SO}_4$ . To utilize the non-alkylated olefins they were treated according to the method described in German Patent 5 859 454 which yielded a new detergent -- a mixture of alkyl aryl sulfonates and sulfuric ester of glycerol.

Card 1/1

WEISSBERG, Roland; DABKOWSKA, Danuta

Functional examinations of the skin in pulmonary tuberculosis;  
preliminary communication. Gruzlica 24 no.3:183-189 Mar 56.

1. Z Miejskiej Przychodni Skorno-Wenerologicznej w Jeleniej  
Gorze Kierownik: dr. R. Weissberg, Z Miejskiej Porodni  
Przeciwgruzliczej w Jeleniej Gorze Kierownik: dr. D. Dabkowska,  
Jelenia Gora, Wzgorze Partyzantow 25.

(TUBERCULOSIS, PULMONARY, physiology,  
McClure-Aldrich & Waldman tests (Pol))

(SKIN,  
McClure-Aldrich & Waldman tests in pulm. tuberc. (Pol))

WEISSELEBERG, A.

TECHNOLOGY

Periodicals: AUTOMATICA SI ELECTRONICA. Vol. 2, no. 4, July/Aug. 1958

WEISSELEBERG, A. A new design for the magnetoelastic dynamometer. p. 153.

Monthly List of East European Acquisitions (EEAI) LC, Vol. 8, No. 2,  
February 1959, Unclass.

WEISSELBERG, A.

Generator with special functions. Bul Inst Patrol Rum no.  
10:171-180 '63.

9.15.80

36745  
R/005/62/000/002/004/004  
D014/D105

AUTHORS: Weisselberg, Al, Engineer, and Racoveanu, N., Instructor,  
Engineer

TITLE: A new circuit for a linear-variable voltage generator

PERIODICAL: Telecomunicații, no. 2, 1962, 67-70

TEXT: The article describes a new linear-variable voltage generator and its operational elements, i.e. the linear dipole, the thyratron, and the cathode follower. Figure 8 shows the circuit of the generator. The charging or discharging control of the capacitor is accomplished by "self-excitation". The capacitor is charged by a gas discharge tube, which has an increasing slope of the anodic current of approx.  $0.25 \text{ v}/\mu\text{sec}$ . The time constant of the circuit is very small. The rough variation of the output voltage frequency is accomplished by the switch c, while the fine variation of the frequency is achieved by the potentiometer P, which may also be used for the control of the amplitude of the output voltage. The potentiometer  $P_1$  is used for the compensation of the amplitude variation of the output voltage and for the fine tuning of the frequency.

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R/005/62/000/002/C04/004  
D014/D105

A new circuit for ...

The generator has the following performances: recovery time,  $T_r = (1.5 \pm 12.0)$  msec; time of the linear variation,  $T_x = (0.1 - 2)$  sec; maximum amplitude of the linear-variable voltage,

$$U_{max} = 280 \text{ v};$$

increasing speed of the linear-variable voltage,

$$\frac{U_{max}}{T_x \text{ max}} = 140 \text{ v/sec};$$

non-linearity factor,

$$\beta = \frac{\left(\frac{dU}{dt}\right)_{in} - \left(\frac{dU}{dt}\right)_{fin}}{\left(\frac{dU}{dt}\right)_{in}} \times 100 = 0.5\%.$$

There are 9 figures. The most important English-language reference reads as follows: I. Millman and H. Taub "Pulse and digital circuits" New York, McGraw Hill Book Co., 1956.

Card 2/3

A new circuit for ...

R/005/62/000/002/004/004  
D014/D105

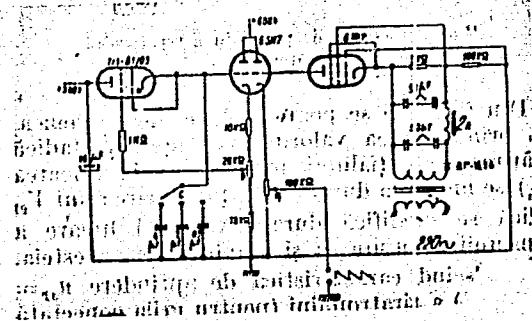


Fig. 8: The principle of the generator arrangement.

Card 3/3

WEISSENBERG, M.; CIUNGU, S.

Effect of the mineralogical composition of cement on adhesion between the concrete and the reinforcement. p. 571. Academia Republicii Populare Romine. Institutul de Mecanica Aplicata. STUDII SI CERCETARI DE MECANICA APPLICATA. Bucuresti. Vol. 6, no. 3/4, July/Dec. 1955.

So. East European Accessions List Vol. 5, No. 9 September, 1956

WEISSENBERG, M.

Variation of the adherence of the beton to the armature in the function of the length  
of anchorage.

P. 527(Academia Republicii Populare Romane. Institutul De Mecanica Aplicata. STUDII SI  
CERCETARI DE Mecanica APLICATA. Vol. 7, no. 2, Apr./June 1956. Bucuresti, Romania)

Monthly Index of East European Accessions (EEAI) LC.Vol. 7, no. 2,  
February 1958

WEISSENRG, N.

Considerations regarding plans for continuous girders from prestressed concrete. I.

p. 386 (Industria Constructiilor Si A Materialelor De Constructii. Vol. (7) no. 7,  
1956. Bucuresti, Rumania)

Monthly Index of East European Accessions (EEAI) LC. Vol. 7, no. 2,  
February 1958

"APPROVED FOR RELEASE: 09/01/2001

CIA-RDP86-00513R001961520006-1

SIMÁ, Jiri, inz.; WEISSER, Milan, inz.

Inventions and patents. Automatizace 6 no.11:284-285 N '63.

APPROVED FOR RELEASE: 09/01/2001

CIA-RDP86-00513R001961520006-1"

SIMA, Jiri, inz.; WEISSER, Milan, inz.

Inventions and patents. Automatizace 7 no. 3:72-73  
Mr '64.

ULRYCH, Milos, inz.; SIMA, Jiri, inz.; WEISSER, Milan, inz.

Inventions and patents. Automatizace 7 no.5:133-135  
My'64.

SIMÁ, Jiri, inz.; WEISSER, Milan, inz.

Inventions and patents. Automatizace 7 no. 7:186-187  
J1 '64.

SIMÁ, Jiri, inz.; WEISSER, Milan, inz.

Inventions and patents. Automatizace 7 no.9;240-241 S '64.

SIRMA, Jiri, inz.; WEISSEK, Milan, inz.

Inventions and patents. Automatizace 7 no.10:269-270 O 164.

SIMÁ, Jiri, inz.; WEISSER, Milan, inz.,

Two-way regulator of motor vehicle dynamo voltage. Automatizace  
7 no.11:300 N '64.

SIMA, Jiri, inz.; WEISSEK, Milan, inz.

Inventions and patents. Automatizace 8 no.1:14-15 Ja '65,

"APPROVED FOR RELEASE: 09/01/2001

CIA-RDP86-00513R001961520006-1

SIMA, Jiri, inz.; WEISSE, Milan, inz.

Inventions and patents. Automatizace 8 no.3:77-78 Mr '65.

APPROVED FOR RELEASE: 09/01/2001

CIA-RDP86-00513R001961520006-1"

SIMA, Jiri, inz.; WEISSER, Milan, inz.

Inventions and patents. Automatizace 7 no.12:325 D '64.

PHASE I BOOK EXPLOITATION CZECH/4225

Weisser, Oldřich, Docent, Engineer, František Jansa, State  
Prize Winner, Professor, Engineer, and Karel Jarolím, Engi-  
neer

Užití elektrické energie (Utilization of Electric Power)  
Prague, Státní nakladatelství technické literatury, 1959.  
329 p. 5,200 copies printed.

Reviewers: Miroslav Bauer, Engineer, Doctor, Ladislav  
Cigánek, Academician, Josef Ferdinand, Engineer, Jan  
Hanák, Engineer, Josef Ipser, Doctor of Medical Sciences,  
Jaroslav Netušil, Štěpán Peleňský, Engineer, and František  
Provazník, Docent, Engineer, Doctor; Tech. Ed.: Ludvík  
Charvát; Resp. Ed.: František Kašpar, Engineer, Doctor.

PURPOSE: The book, approved by the Ministry of Education as  
of July 7, 1955, is a textbook for students of four-year  
industrial schools in electrical engineering.

COVERAGE: The book outlines applications of electricity in  
lighting, heating and cooling, in medicine, electric  
Card 1/10

**Utilization of Electric Power****CZECH/4225**

traction, and electric drives. It explains the purposes, principles and operation of related electrical equipment and gives information on their design, construction, and operation. References are given after each part. No personalities are mentioned.

**TABLE OF CONTENTS:**

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**Card 2/10**

Weisser, Otto

Preparing pure hydrazinium disulfide acids and esters  
[Tech. Univ., Prague]  
Thermally stable esters, ketones, acids  
whereas in compounds with 2 or more rings there is hydrogenation of 1 ring  
mixt. of 69% naphthalene (I) and 21% anthracene to 9,10-dihydroanthracene  
naphthalene to tetrahydroanthracene  
are given. 23 g.  $(\text{NH}_4)_2\text{MoS}_4$  is  
4H<sub>2</sub>O in a mixt. of  
followed by addition of 500 ml. H<sub>2</sub>O  
yielding crystals of  
MoS<sub>2</sub> in toluene a  
MoS<sub>2</sub> which is filtered off and washed

Hydrogenation of alcohols, ketones,  
Stanislav Landa  
and Otto Weisser  
30, 668 Praha 8  
ketones, acids  
hydrocarbons with 2 or more rings  
in the same arrangement  
is not hydrogenated,  
condensed aromatic  
 $\alpha$ -Naphthol gives 10% Tetralin; I is par-  
naphthalene (31%),  
e (60%), and phe-  
ne (49%). Examples  
and hydrogenation  
30 g.  $(\text{NH}_4)_2\text{MoO}_4$ ,  
0 ml. concd. NH<sub>4</sub>OH,  
1 ml. satn. with H<sub>2</sub>S  
hydrogenation of  $(\text{NH}_4)_2\text{MoS}_4$   
for 30 min. gives  
with MeOH and PtO<sub>2</sub>

L. J. Urbanek

WEISSER, OTTO

CZECHOSLOVAKIA/Organic Chemistry - Theoretical and General Questions  
on Organic Chemistry.

G-1

Abs Jour: Referat Zhur-Khimia, No 5, 1958, 14320.

Author : Landa Stanislav, Weisser Otto, Mostecky Jiri

Inst :

Title : Properties of Sulfide Catalysts. IV. Concerning the Mechanism  
of Hydrogenation of Oxygen-Containing Substances.

Orig Pub: Sb. chekhosl. khim. rabot, 1957, 22, No 3, 1006-1013.

Also - CHEM. LIST; 51, 457 - '58, 1957

Abstract: On hydrogenation of oxygen-containing compounds over  $\text{MoS}_2$  (I)  
and  $\text{WS}_2$  (II), under pressure, alcohols are formed at first;  
the major portion of alcohols is dehydrated to olefins which  
are hydrogenated further to saturated compounds. The minor  
portion of alcohols is hydrogenated directly to paraffin. In  
the course thereof compounds of the type of neopentyl alco-  
hol undergo mostly a retroinacolin rearrangement and yield  
only little paraffin retaining the carbon skeleton. Hydroge-

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nation of aldehydes, ketones and esters, over I and II at 180-240°, results in a mixture of alcohols and olefins; at temperatures above 300° paraffins are formed (hydrogenation procedure, see RZhKhim, 1955, 45783). Listed herein-after are: starting substance; catalyst; temperature in °C; duration in minutes; H<sub>2</sub> pressure on filling, in atmospheres; reaction products; in parentheses, their yields in %: CH<sub>3</sub>CHO, I, 240, 30, 120, C<sub>2</sub>H<sub>5</sub>OH (77.2) + high-boiling fraction; acetone, I, 240, 30, 120, C<sub>3</sub>H<sub>6</sub> (10.4) + iso-C<sub>3</sub>H<sub>7</sub>OH (26.7); acetone, II, 240, 60, 100, C<sub>3</sub>H<sub>6</sub> (39.3); acetone, II, 180, 60, 100, iso-C<sub>3</sub>H<sub>7</sub>OH (25.5); methyl ethyl ketone, I, 220, 30, 120, mixture of butenes (7.0) + butanol-2 (64.3); cyclohexanone, I, 240, 30, 120, cyclohexane (4.4) + cyclohexene (44.1) + cyclohexanol (29); cyclohexanone, II, 240, 60, 100, cyclohexene (13) + cyclohexanol (35.3); C<sub>2</sub>H<sub>5</sub>COOC<sub>2</sub>H<sub>5</sub>, I, 240, 20,

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112, n-C<sub>3</sub>H<sub>7</sub>OH (11) + C<sub>3</sub>H<sub>6</sub> (3.6); C<sub>15</sub>H<sub>31</sub>COOCH<sub>3</sub>, II, 240, 60, 100,  
n-C<sub>16</sub>H<sub>33</sub>OH, MP 48-49° (13.9) 2,2-dimethyl-butanol-3, I,  
320, 30, 120, mixture of 4.5% 2,2-dimethylbutane (III) and  
75.3% 2,3-dimethyl-butane (IV) (determined from infra-red  
spectrum); 2,2-dimethyl-butanone-3, I, 320, 30, 120, mixture  
of 11.5% III and 72.5% IV (determined from infrared spectrum);  
pinacone hexahydrate, I, 350, 30, 110, mixture of 6.1% III  
and 70.8% IV (infrared spectrum) + high-boiling products;  
(CH<sub>3</sub>)<sub>3</sub>CCOOCH<sub>3</sub>, I, 340, 45, 130, neopentane (V) (0.4) (infra-  
red spectrum) + Iso-C<sub>5</sub>H<sub>12</sub> (VI) (74.0); (CH<sub>3</sub>)<sub>3</sub>CCOOCH<sub>3</sub>, I, 320  
30, 120, (CH<sub>3</sub>)<sub>3</sub>C(OH) (7.5); (CH<sub>3</sub>)<sub>3</sub>CCH<sub>2</sub>OH, I, 340, 45, 130, V  
(24.6) + VI (30). Prior communications see RZhKhim, 1957, 22857,  
22876.

Card : 3/3

LANDA, Stanislav; HALA, Slavoj; WEISSER, Otto; STRILK, Vladislav;  
SONSKY, Jan

Composition of lighter portions of Hodonin crude oil. Soor.pal.vod.  
VSGMT 1958:21-43. (MMAI 9:4)

1. Katedra syntetickych pohonných látiek, Vysočka škola chemicko-  
technologicka, Praha.  
(Czechoslovakia--Petroleum)

CZECHOSLOVAKIA/Physical Chemistry. Kinetics. Combustion: Explosions, Topochemistry, Catalysis. B

Abs Jour: Ref Zhur-Khim., No 1, 1959, 513.

Author : Landa S., Weisser O., Mostecky J.

Inst :

Title : The Properties of Sulfide Catalysts. VI. The Dehydrogenating and Dehydrating Properties of Molybdenum Disulfide and Tungsten Disulfide.

Orig Pub: Chem listy, 1958, 52, No 1, 60-67.

Abstract: The catalytic properties of  $\text{MoS}_2$ ,  $\text{WS}_2$  and industrial catalyst 5058 were investigated in an autoclave and a circulating contact apparatus. Upon heating alcohols ( $\text{CH}_3\text{OH}$  -  $\text{C}_4\text{H}_9\text{OH}$ , cyclohexanol) and diethyl ether with those catalysts up to a temperature of  $\approx 300^\circ\text{C}$ ., it was established that first of all, a dehydration of

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CZECHOSLOVAKIA/Physical Chemistry. Kinetics. Combustion: B

CZECHOSLOVAKIA/Physical Chemistry. Kinetics. Combustion;  
Explosions, Topochemistry, Catalysis.

Abs Jour: Ref Zhur-Khin., No 1, 1959, 513.

the alcohols takes place with a formation of olefins  
and ethers, and to a lesser dehydrogenation - with a  
formation of aldehydes, ketones and a small amount  
of saturated hydrocarbons. Hydrogen, methane, ethane  
carbon monoxide and sometimes other gaseous hydro-  
carbons are formed as by-products. For communica-  
tion V see R.Zh. Khin., 1958, 67472. -- Karel Setinek.

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Distr: b2d(b) 2 cys

✓ Refining selenium for electrotechnical purposes. Stanis-  
lav Lauda, J. F. Mostecký, and Otto Weissger. Czech. 90-  
377, June 15, 1959. A mixt. of 20 parts crude Se and 15  
parts MoS<sub>2</sub> is heated for 30 min. to 350° in a rotating auto-  
clave filled with H under pressure so that the mol. ratio of  
Se:H is 1:4. The contents are cooled and H<sub>2</sub>S is removed  
with steam to give Se in 98-9% purity and quant. yield.

L. J. Urbanek

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Arelus  
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COUNTRY	:	Czechoslovakia	B-9
CATEGORY	:		
ABS. JOUR.	:	RZKhim., No. 23 1959, No.	81432
AUTHOR	:	Landa, S.; Weissner, O.; Mostecky, J.	
INST.	:	Not given	
TITLE	:	Properties of Sulfide Catalysts. VI. Dehydrating and Dehydrogenating Properties of Molybdenum and Tungsten Disulfides.	
ORIG. PUB.	:	Collect. Czechosl. Chem. Comms, 1959, 24, #4, 1036-1044.	
ABSTRACT	:	See RZKhim, 1959, #1, 513.	

CARD: 1/1

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LANDA, S.; MOSTEKY, J.; WEISSE, O.

Properties of sulfide catalysts. I. Preparation of isoparaffins by  
the hydrogenation of aldol. Coll Cz Chem 25 no.4:1165-1173 Ap '60.  
(EEAI 9:12)

1. Institut fur synthetische Treibstoffe, Technische Hochschule fur  
Chemie, Prag.

(Sulfides) (Catalysts) (Paraffins)  
(Aldol) (Hydrogenation)

88245

9.4300 (1043,1138,1143)

Z/009/61/000/001/001/006

E112/E153

AUTHORS: Mostecký, Jiří; Weisser, Otto; Landa, Stanislav

TITLE: Hydrogenation Refining of Selenium

PERIODICAL: Chemicky Průmysl, 1961, No.1, pp.2-7

TEXT: The present paper is the thirteenth in a series of investigations dealing with sulfide catalysts in hydrogenation processes and describes specifically the hydrogenation of selenium, using the sulfides of molybdenum and tungsten as catalysts. The work was undertaken in order to establish the possibility of refining selenium by hydrogenation and of utilising domestic sources of selenium for the rectifier and photoelectric cell industry. Although germanium and silicon have superior properties as semiconductors, the rectifier industry of Czechoslovakia is still based on selenium, and it is not anticipated that changes will take place within the next few years. The production of highly purified selenium presents an important economic problem. A process consisting of the following steps is suggested by the authors. 1) Hydrogenation of selenium under pressure of 100-110 atm at 350 °C in presence of molybdenum as

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Z/009/61/000/001/001/006  
E112/E153

**Hydrogenation Refining of Selenium**

catalyst; reaction time 60-120 minutes. Thermodynamic data and comparisons between sulfur and selenium are tabulated. It is shown that the hydrogenation of selenium proceeds less readily than that of sulfur, but that nevertheless, in presence of catalysts and an excess of hydrogen, conversions were favourable. 2) Hydrogen selenide, thus produced, is reoxidised to elementary selenium, and three possible approaches are suggested: a) using 30% hydrogen peroxide; b) selenic acid as oxidant; and c) burning in a current of air. A sketch of the laboratory method for the burning of hydrogen selenide in a current of air is shown, but details of the other two methods of oxidation are not provided. The paper is mainly concerned with the purity of the refined selenium and analytical methods for an assay of mercury, tellurium and ash content are presented. Results of spectrographic analyses are submitted. Analytical methods have confirmed the efficiency of the hydrogenation refining method. Iron and tellurium were completely removed, and silicon and magnesium were reduced to trace concentrations. Mercury contents were reduced beyond the

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E112/E153

### Hydrogenation Refining of Selenium

permitted limits and spectrographic analysis indicated the absence of arsenic. Ash contents, however, were higher than permissible, and this is explained by a secondary contamination of the hydrogen selenide during its oxidation to elementary selenium. The durability of the catalysts in the present process was not studied but it is proposed to publish more data in the near future. The authors are of the opinion that the suggested process is economical and that it can be applied particularly usefully to lower-grade raw materials. Acknowledgements are made to L. Ješinová, test laboratories ČKD Modřany n.p., Rectifier Research, Běchovice. There are 7 figures, 3 tables and 17 references: 6 Czech, 6 German, 1 Soviet, 1 French and 3 English.

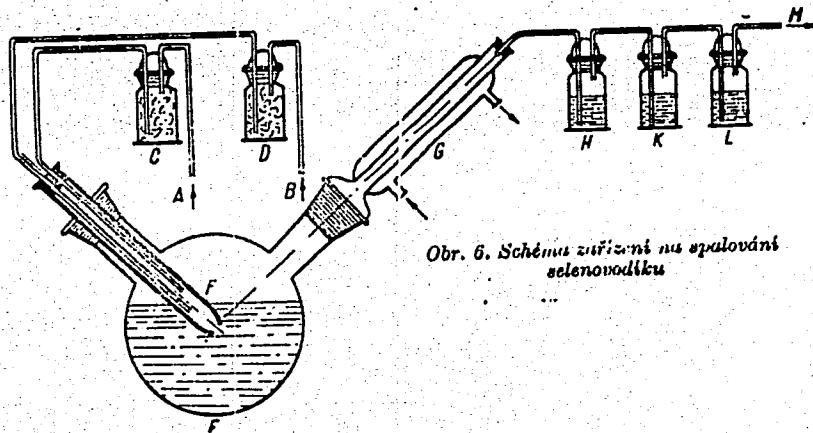
ASSOCIATION: Katedra syntetických paliv, VŠCHT Praha a Miroslav Ruprych, ČKD Modřany n.p., Výzkum usměrňovačů, Běchovice u Prahy (Chair of Synthetic Fuels, University of Chemical Technology, Prague, and Miroslav Ruprych, CKD Modřany, Rectifier Research, Běchovice, near Prague)

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3/4

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E112/E153

Hydrogenation Refining of Selenium



SUBMITTED: June 23, 1960

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LANDA, S., prof., dr., ing., D.Sc. (Praha 6, Technicka 1905, CSSR); WEISSE, O.  
ing., Cand.Sc. (Praha 6, Technicka 1905, CSSR); MOSTEKY, J., doc.,  
ing., Cand.Sc. (Praha 6, Technicka 1905, CSSR); SZEBENYI, Imre, Cand.Sc.  
(Budapest XI., Gallert ter 4)

Data on the properties of sulfide catalysts. XII. Preparation of hydrocarbons by hydrogenation of hydroxyesters. Acta chimica Hung 29 no.2:237-244 '61.

1. Lehrstuhl für synthetische Brennstoffe, Chemisch-Technologische Hochschule, Prague (for Landa, Weisser and Mosteky). 2. Institut für chemische Technologie, Technische Universität, Budapest (for Szabenyi).

WEISER, O.

- 428
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16. "The Obtaining of Sodium Permane with Electrochemical Methods,"  
J. KURK, Slovensk Technological Institute, Bratislava; pp. 915-919.
  17. "The Theory of the Boundary Layer of a Finite Adherent Crystal,"  
E. KALIN, Institute of Physical Chemistry at the Czechoslovak Acad-  
emy of Sciences, Prague; pp. 920-927.
  18. "A Contribution to the Problem of the Elasticity of Adsorption on a  
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Czechoslovak Academy of Sciences; pp. 928-930.
  19. "The Fluctability of Graphite. Part II. A Contribution to the Theory  
of the Formation of Graphite in Electrolytic Solutions," J. SOČIČ  
at the Czechoslovak Academy of Sciences, Prague; pp. 931-937.
  20. "The Adsorption of Radioisotopes on Sediments. Part VI. The Radio-  
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Adsorption by Metallic Hydroxides," Z. KOLÁŘÍK, Nuclear Research Insti-  
tute of the Czechoslovak Academy of Sciences, Rež, near Prague; pp.  
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Strontium by Magnesium Hydroxide," Z. KOLÁŘÍK, Nuclear Research  
Institute of the Czechoslovak Academy of Sciences, Rež, near Prague;  
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Anion. Part III. Tetrahydrocyclohexamethine and Tetrahydrocyclohexameth-  
ylene," J. ŠEGR, Research Institute for Non-Metallic Materials,  
Rež, near Prague.
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ion. Part III. Tetrahydrocyclohexamethine and Tetrahydrocyclohexameth-  
ylene," J. ŠEGR, Research Institute for Non-Metallic Materials, Rež,  
near Prague.
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ŠEGR, Institute of Chemical Technology, Prague; pp. 960-973 (English abstract).
  25. "Organic-Silicon Compounds. Part XXX. The Kinetics of the Direct  
Oxidation of Silicon Methyldibromide," J. JUDLÍK, M. RAIS and  
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and the Chemical Process, Prague; pp. 974-978.
  26. "On the Properties of Silanol Catalysts. Part XV. The Oxidation  
of Acids," B. LALÍČEK and O. WEISER of the Institute of Synthetic  
Polymers and Petrochemistry at the Technical School of Chemistry in Prague.

WEISSER, Otto; TRDLICKA, Vaclav.

Thirty years of hydrocarbon research in the Department of Synthetic Fuels. Sbor pal.vod VSGhT Vo.5:7-33 '61 [publ. '62].

1. Katedra synthetickych paliv a ropy, Vysoka skola chemickotechnologicka, Praha.

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Contribution to gas odorization. Ropa a uhlje 5 no.7:201-204  
JL 63.

1. Vysoka skola chemicko-technologicka, katedra syntetickych  
paliv, a ropy. Praha.